

## **Session A:**

# **Elementary Electricity and Magnetism:**

Presented by  
Vu3YOC  
Prem Jeevan



## Topics:

1. Elementary theory of electricity- Passive Devices (Resistors; Inductors, Transformers, Capacitors) and Active Devices (Diodes; Transistors).
2. Kirchoff's current and voltage laws- Simple applications of the law.
3. Conductors and Insulators — Properties; units of circuit elements, Ohm's Law.
4. Conductance — Definition of self and mutual inductance;
5. Power and energy- Definition, Units and simple applications.
6. Permanent magnets and electromagnets — Definition, properties and their use.



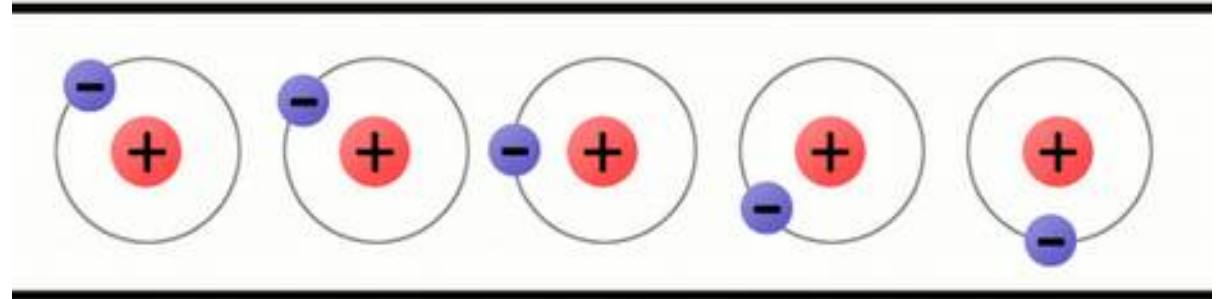
# Elementary theory of electricity

Electricity deals with flow of charge (free flowing electrons)

Most people give credit to Benjamin Franklin for discovering electricity (electric fluid).

Some of the electrical terms which Franklin coined during his experiments include:

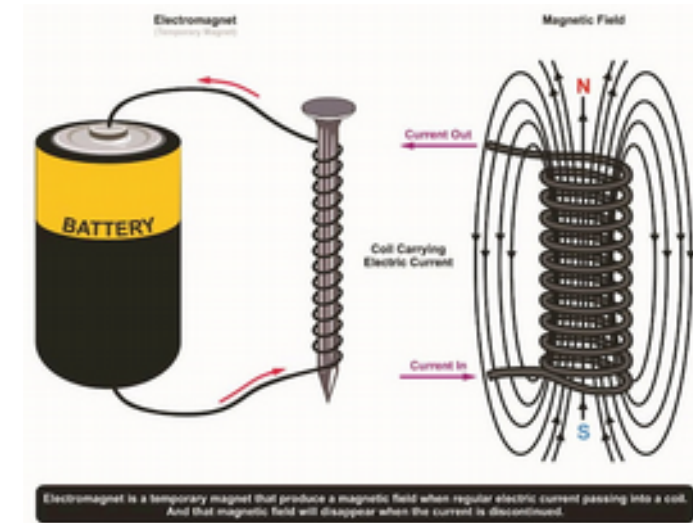
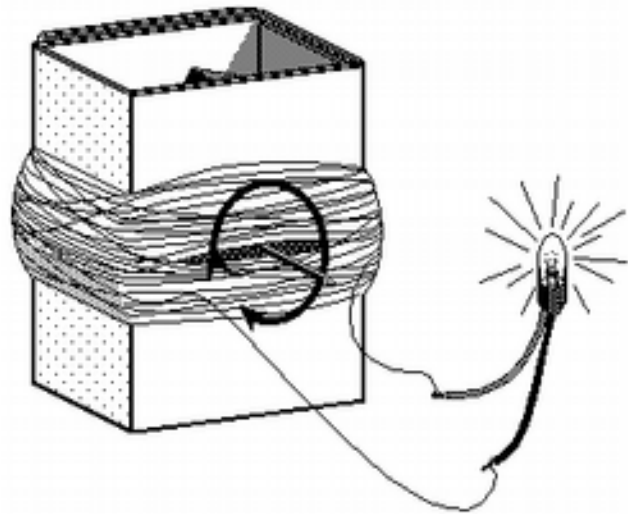
**battery, charge, condensor, conductor, plus, minus, positively, negatively,**



1. Static electricity: - electrons doesn't flow through insulator, instead they form an electron cloud.
2. Dynamic (Current) electricity:- constant flow of electrons is possible in conductor
  - a. Direct current (DC)
  - b. Alternating current (AC)

# Electromagnetism

1. Flowing electrons produce a magnetic field
  2. Spinning magnets cause an electric current to flow.
- Electromagnetism is the interaction of these two important forces.



## Devices used to control the flow of electrons and magnetism

### 1. Passive Devices

Resistors  
Capacitors  
Inductors  
Transformers  
Antennas

### 2. Active Devices

Diodes  
Transistors  
Integrated Circuits

### 3. Electro mechanical

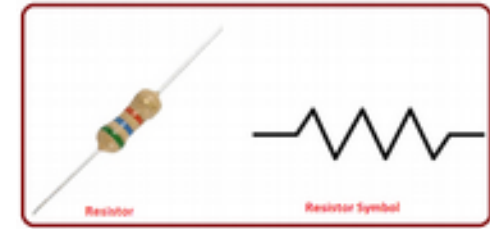
Piezoelectric crystal  
Switches  
Circuit breaker

### 4. Electro magnetic

Relays  
Solenoid  
Electric bell  
Loudspeaker



# Resistors



- Resistors are used to resist the flow of electricity

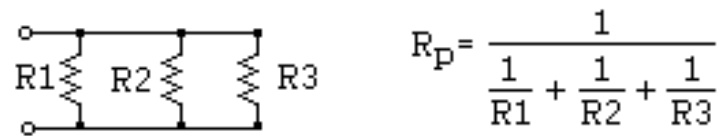
Resistor Types	Resistive element	Resistance range	Tolerance	Use
Carbon composition	Slug of carbon	$2.7\Omega$ to $22M\Omega$	$\pm 5\%$ , $\pm 10\%$ , $\pm 20\%$	ability to withstand high energy pulses. Used in high freq ckt and it has low temperature coefficient
Carbon film	Thin layer of carbon film	$1\Omega$ to $100M\Omega$	$\pm 1\%$ , $\pm 2\%$ , $\pm 5\%$	in high voltage and temperature applications
Metal film	film of metal/alloy/oxide	$0.0025\Omega$ to $500G\Omega$	$\pm 0.05$ to $\pm 5\%$	in circuits where tight tolerance, low temperature coefficient and low noise properties are important
Wirewound	wire wound a insulating core	$0.1\Omega$ to $200K\Omega$	General & precision	Higher order of stability and reliability. Not suitable for high freq ckts

# Resistors Cont.....

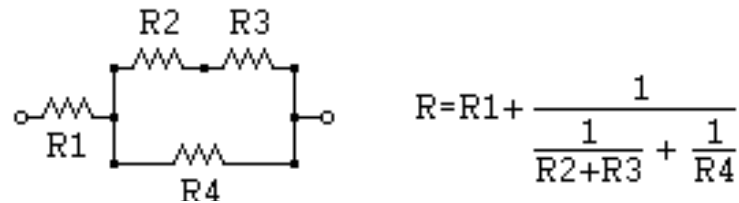
Resistors in series, just add them up.



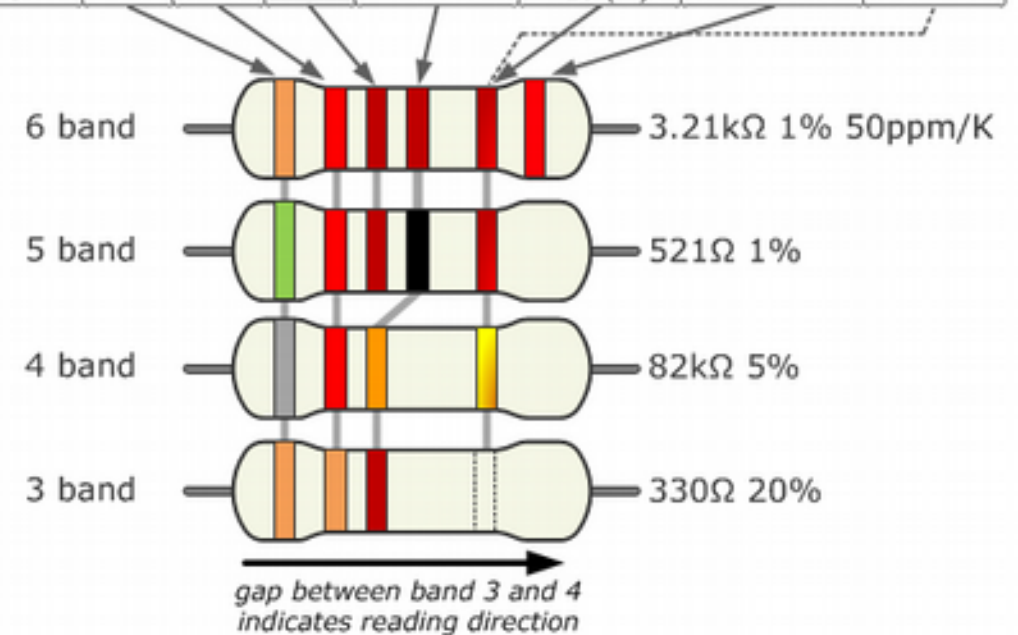
Resistors in parallel.



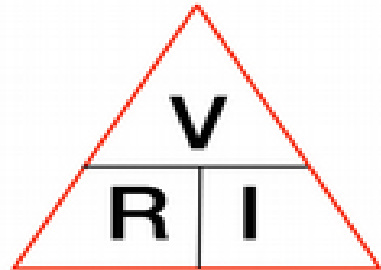
Example



	Color	Significant figures			Multiply	Tolerance (%)	Temp. Coeff. (ppm/K)	Fail Rate (%)
Bad	black	0	0	0	x 1		250 (U)	
Beer	brown	1	1	1	x 10	1 (F)	100 (S)	1
Rots	red	2	2	2	x 100	2 (G)	50 (R)	0.1
Our	orange	3	3	3	x 1K		15 (P)	0.01
Young	yellow	4	4	4	x 10K		25 (Q)	0.001
Guts	green	5	5	5	x 100K	0.5 (D)	20 (Z)	
But	blue	6	6	6	x 1M	0.25 (C)	10 (Z)	
Vodka	violet	7	7	7	x 10M	0.1 (B)	5 (M)	
Goes	grey	8	8	8	x 100M	0.05 (A)	1(K)	
Well	white	9	9	9	x 1G			
Get	gold			3th digit only for 5 and 6 bands	x 0.1	5 (J)		
Some	silver				x 0.01	10 (K)		
Now!	none					20 (M)		

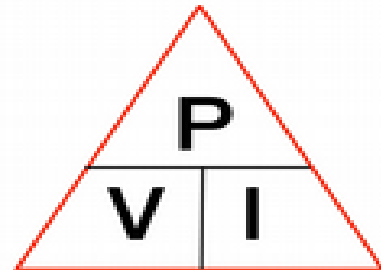


# Resistors Cont.....



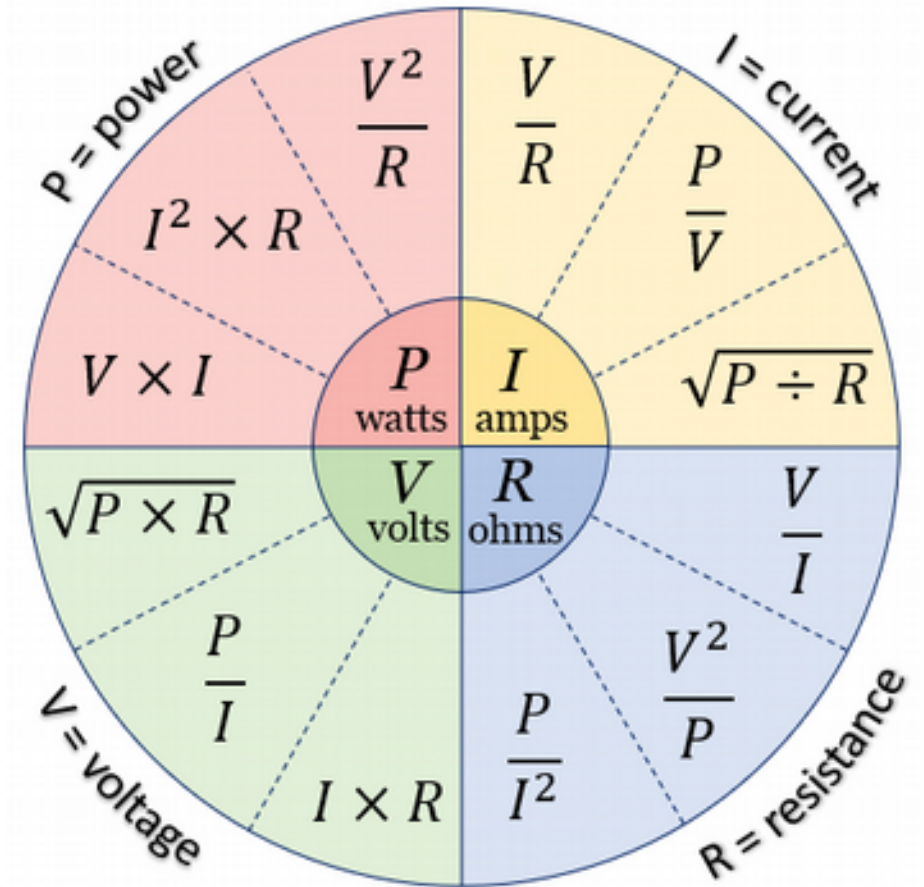
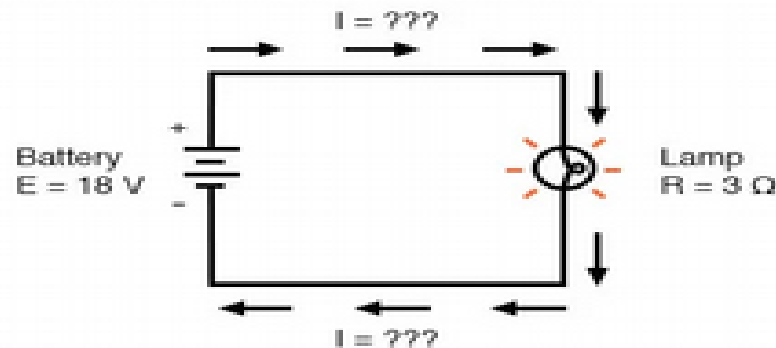
$$\frac{V}{R} = I \quad \frac{V}{I} = R$$

$$R \times I = V$$



$$\frac{P}{V} = I \quad \frac{P}{I} = V$$

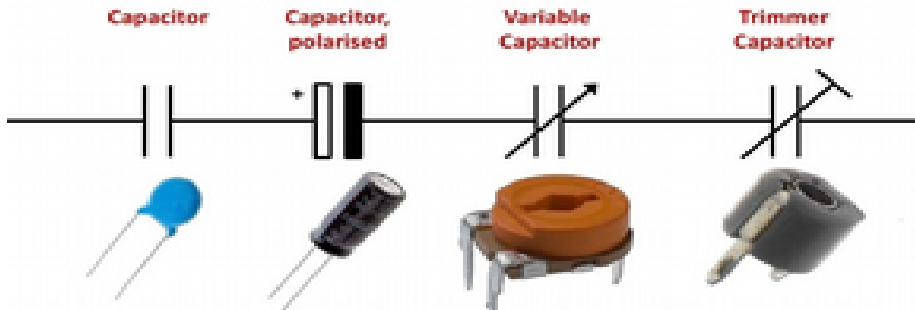
$$V \times I = P$$





# Capacitors

- Capacitors are used to store energy in the form of electric field.
- Capacitor usually opposes the change in voltage



Types of Capacitor	Preferred Applications	Not Suitable For
Paper Capacitors	Motor Starting	-
Mica Capacitors	RF Circuits, High Frequency Filters	-
Polycarbonate (PC) Film Capacitors	Replaced by PP Capacitors	-
Polyester (PET) Film Capacitors	DC, Low Power, Low Frequency AC Applications	-
Polypropylene (PP) Film Capacitors	DC and AC Power Applications	-
Polystyrene (PS) Film Capacitors	Replaced by PET Capacitors	-

Types of Capacitor	Preferred Applications	Not Suitable For
Foil Capacitors	Size Constraint Applications	-
Glass Capacitors	Military Grade Applications	-
Class-1 Ceramic Capacitors	High Frequency Applications	-
Class-2 Ceramic Capacitors	Coupling, Decoupling and Bypass	Precision Applications
Aluminium Electrolyte	Power Supply Filters, Audio Circuits	Coupling, Decoupling, Attenuation
Tantalum Electrolyte	Military Audio and DC Circuits	Coupling, Decoupling, Attenuation
Niobium Electrolyte	High Capacitance DC Applications	Coupling, Decoupling, Attenuation
Variable Capacitors	Audio and RF Tuning Circuits, Variable capacitance in electrical devices	

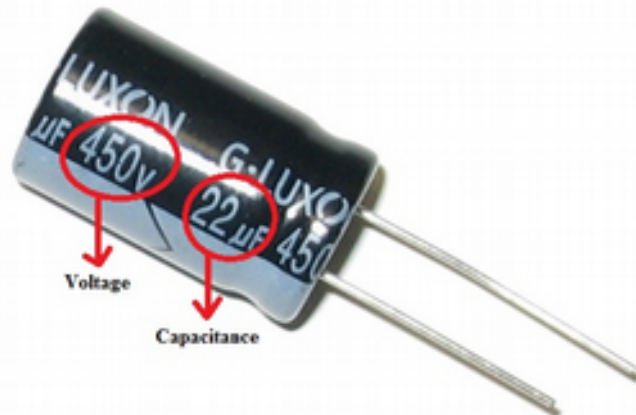
# Capacitor Cont.

Capacitors in series.

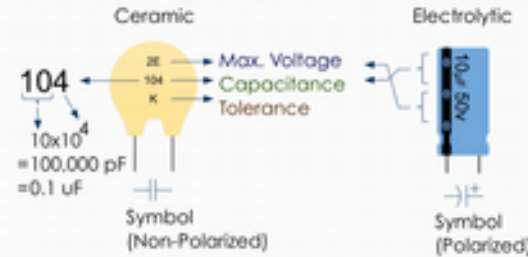
$$\begin{array}{c} C1 \quad C2 \quad C3 \\ \text{---} \text{---} \text{---} \end{array} \quad C_s = \frac{1}{\frac{1}{C1} + \frac{1}{C2} + \frac{1}{C3}}$$

Capacitors in parallel, just add them

$$\begin{array}{c} C1 \quad C2 \quad C3 \\ \text{---} \text{---} \text{---} \end{array} \quad C_p = C1 + C2 + C3$$



## Reading Capacitor Values

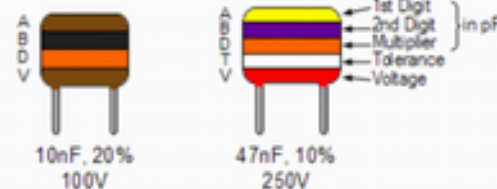


Max. Voltage	
Code	Max. Voltage
1H	50V
2A	100V
2T	150V
2D	200V
2E	250V
2G	400V
2J	630V

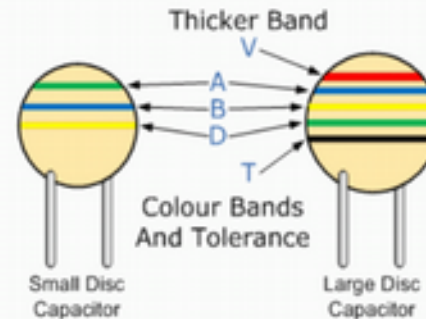
Capacitance Conversion Values		
Microfarads (µF)	Nanofarads (nF)	Picofarads (pF)
0.000001 µF	↔ 0.001 nF	↔ 1 pF
0.00001 µF	↔ 0.01 nF	↔ 10 pF
0.0001 µF	↔ 0.1 nF	↔ 100 pF
0.001 µF	↔ 1 nF	↔ 1,000 pF
0.01 µF	↔ 10 nF	↔ 10,000 pF
0.1 µF	↔ 100 nF	↔ 100,000 pF
1 µF	↔ 1,000 nF	↔ 1,000,000 pF
10 µF	↔ 10,000 nF	↔ 10,000,000 pF
100 µF	↔ 100,000 nF	↔ 100,000,000 pF

Tolerance	
Code	Percentage
B	± 0.1 pF
C	± 0.25 pF
D	± 0.5 pF
F	± 1%
G	± 2%
H	± 3%
J	± 5%
K	± 10%
M	± 20%
Z	+80%, -20%

## Metalised Polyester Capacitor



## Disc & Ceramic Capacitor



## Color Code Table

Band Colour	Digit A	Digit B	Multiplier D	Tolerance (T) > 10pf	Tolerance (T) < 10pf	Temperature Coefficient (TC)
Black	0	0	x1	± 20%	± 2.0pF	
Brown	1	1	x10	± 1%	± 0.1pF	-33×10 <sup>-6</sup>
Red	2	2	x100	± 2%	± 0.25pF	-75×10 <sup>-6</sup>
Orange	3	3	x1,000	± 3%		-150×10 <sup>-6</sup>
Yellow	4	4	x10,000	± 4%		-220×10 <sup>-6</sup>
Green	5	5	x100,000	± 5%	± 0.5pF	-330×10 <sup>-6</sup>
Blue	6	6	x1,000,000			-470×10 <sup>-6</sup>
Violet	7	7				-750×10 <sup>-6</sup>
Grey	8	8	x0.01	+80%, -20%		
White	9	9	x0.1	± 10%	± 1.0pF	
Gold			x0.1	± 5%		
Silver			x0.01	± 10%		

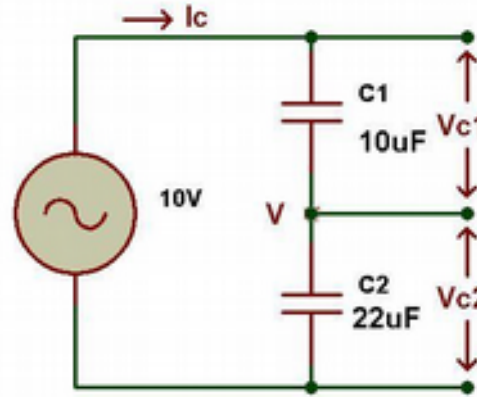
## Voltage Color Codes

Band Colour	Voltage Rating (V)				
	Type J	Type K	Type L	Type M	Type N
Black	4	100		10	10
Brown	6	200	100	1.6	
Red	10	300	250	4	35
Orange	15	400		40	
Yellow	20	500	400	6.3	6
Green	25	600		16	15
Blue	35	700	630		20
Violet	50	800			
Grey		900		25	25
White	3	1000		2.5	3
Gold		2000			
Silver					



# Capacitor Cont...

Now we will calculate the voltage distribution to the capacitors 10uF and 22uF which are given in the above figure which have 10V supply voltage with 40Hz frequency.



Reactance of 10uF capacitor,  $X_{C1} = 1/2\pi fC1 = 1/(2*3.142*40*10*10^{-6}) = 400\Omega$   
 Reactance of 22uF capacitor,  $X_{C2} = 1/2\pi fC2 = 1/(2*3.142*40*22*10^{-6}) = 180\Omega$   
 Total capacitive reactance of a circuit is,  $X_C = X_{C1} + X_{C2} = 400\Omega + 180\Omega = 580\Omega$

$C_T = C1C2/(C1+C2) = (10*22*10^{-12})/(32*10^{-6}) = 6.88\mu F$   
 $X_{CT} = 1/2\pi fC_T = 1/(2*3.142*40*6.88*10^{-6}) = 580\Omega$

The current in the circuit is,  $I = V/X_C = 10V/580\Omega = 17.2mA$

Now, the voltage drop across each capacitor is,  
 $V_{C1} = I*X_{C1} = 17.2mA*400\Omega = 6.9V$   
 $V_{C2} = I*X_{C2} = 17.2mA*180\Omega = 3.1V$

If the frequency is either 40Hz or 40KHz, the voltage drops across capacitors will remain the same. The current flowing through the circuit changes depending on the frequency. The current will increase with increasing the frequency, it is 17.2mA for 40Hz frequency but it is 1.72A for the frequency 4KHz.

## Capacitance (C)

The capacitance of a capacitor is defined as the charge stored per unit potential difference change

$$C = \frac{Q}{V}$$

unit of capacitance: farad (F)

also:  $Q = CV$  and  $V = Q/C$

Electric Field  
between flat plates

Potential Difference  
between flat plates

$$E = \frac{\sigma}{\epsilon_o} = \frac{Q}{\epsilon_o A}, \quad \Delta V = Ed = \frac{Qd}{\epsilon_o A}$$

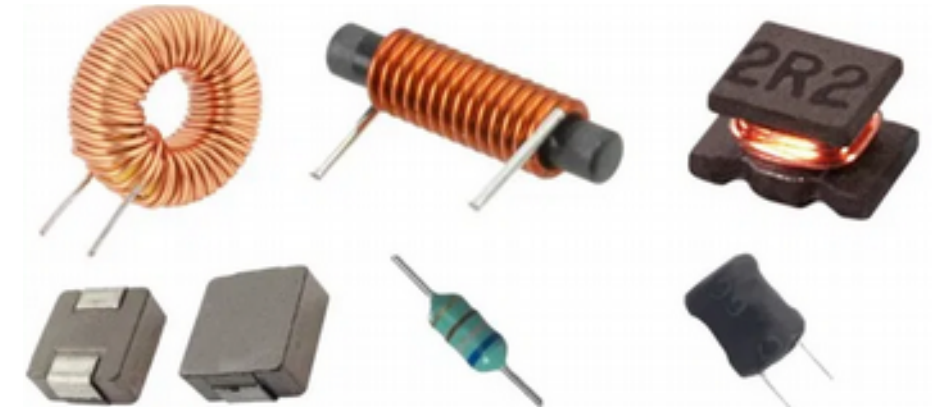
$$C = \frac{Q}{\Delta V} = \frac{Q}{Qd/\epsilon_o A} = \frac{\epsilon_o A}{d}$$

**Capacitance** depends on the Area of the plates and the distance between the plates



# Inductors

- Inductors are used to store energy in the form of Magnetic field.
- Inductor usually opposes the change in Current

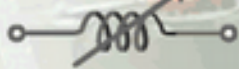


Schematic symbols:

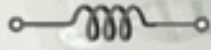
Fixed



Variable



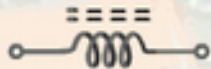
Air core



Iron core



Ferrite core



《Circuit diagram symbol》

Fixed inductors

High frequency applications  
General circuit applications  
Decoupling circuit applications  
Power supply circuit applications



《Circuit diagram symbol》

Variable inductors

High frequency circuits etc.



# Inductor Cont.....

Inductors in series, just add them up.

$$\begin{array}{c} L1 \quad L2 \quad L3 \\ \text{---} \text{---} \text{---} \end{array} \quad L_S = L1 + L2 + L3$$

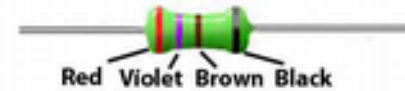
Inductors in parallel.

$$\begin{array}{c} L1 \quad L2 \quad L3 \\ \text{---} \text{---} \text{---} \end{array} \quad L_P = \frac{1}{\frac{1}{L1} + \frac{1}{L2} + \frac{1}{L3}}$$

Example

$$\begin{array}{c} L2 \quad L3 \\ \text{---} \text{---} \\ L1 \quad \text{---} \quad L4 \end{array} \quad L = L1 + \frac{1}{\frac{1}{L2+L3} + \frac{1}{L4}}$$

Four Band Standard EIA Colour Code For Inductors.



Therefore value =  $27 \times 10 = 270\mu\text{H} \pm 20\%$

Band	1	2	3	4
Meaning (See Notes)	1 <sup>st</sup> Digit	2 <sup>nd</sup> Digit	Multiplier (No. of zeros)	Tolerance %
Gold			x 0.1 (divide by 10)	+/-5%
Silver			x 0.01 (divide by 100)	+/-10%
Black	0	0	x1 (No Zeros)	+/-20%
Brown	1	1	x10 (0)	
Red	2	2	x100 (00)	
Orange	3	3	x1000 (000)	
Yellow	4	4	x10000 (0.000)	
Green	5	5		
Blue	6	6		
Violet	7	7		
Grey	8	8		
White	9	9		

Note: If no Band 4 is used, tolerance is also +/-20%

For values less than 10μH:

Bands 2, 3 and 4 indicate the value of inductance in μH. A gold band might be used in either band 2 or band 3. In either of these two bands, gold indicates a decimal point; and band 4 is used as a digit instead of a multiplier band. When no gold band is present in bands 2 or 3, band 4 is a multiplier band.

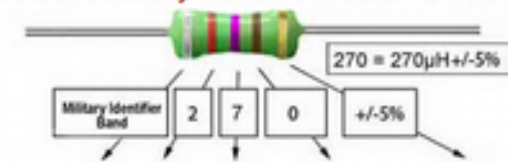
For example:

If bands 2,3 and 4 are red, gold, red the value would be 2.2 μH

If bands 2,3 and 4 are gold, yellow, violet the value would be 0.47 μH (470nH)

Band 5 indicates the tolerance between 1% and 20%

Five Band Military Standard Inductor Colour Code

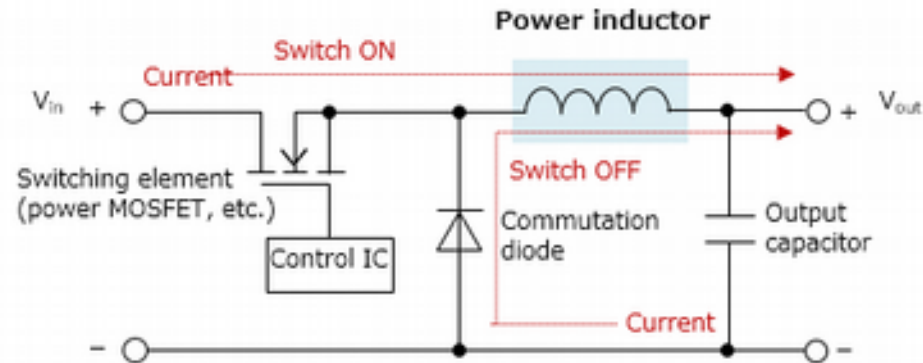


Band	1	2	3	4	5
Meaning (See Notes)	Mil. Spec.	Digit or Dec. point	Digit or Dec. point	Digit (or Multiplier)	Tolerance %
Gold		Decimal point	Decimal point		+/-5%
Silver	Always Silver double width				+/-10%
Black		0	0	0 (or x 1)	+/-20%
Brown		1	1	1 (or x 10)	+/-1%
Red		2	2	2 (or x 100)	+/-2%
Orange		3	3	3 (or x 1,000)	+/-3%
Yellow		4	4	4 (or x 10,000)	+/-4%
Green		5	5	5	
Blue		6	6	6	
Violet		7	7	7	
Grey		8	8	8	
White		9	9	9	

Notes:

The military standard for cylindrical inductors specifies 5 coloured bands. The same colours are used as in the EIA 4 band code, but: For band 1, a **double width** silver band is used to signify Military Standard.

# Inductor Cont.....

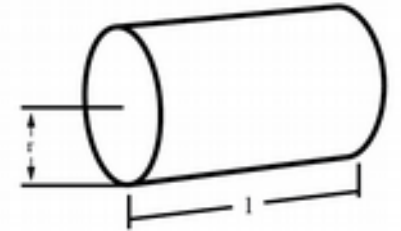


When the switching element is ON, the power inductor accumulates energy, and when it turns OFF the energy is discharged and the current is transmitted. The voltage can be decreased to the required value by setting the duty ratio (ratio of ON time to switching cycle).

$$V_{out} = V_{in} \times \text{Duty}$$

$$L = \frac{N^2 \mu A}{l}$$

$$\mu = \mu_r \mu_0$$



Where,

$L$  = Inductance of coil in Henrys

$N$  = Number of turns in wire coil (straight wire = 1)

$\mu$  = Permeability of core material (absolute, not relative)

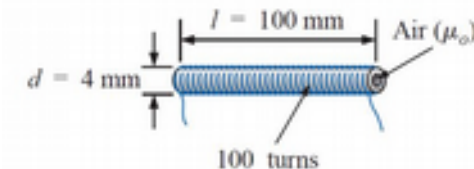
$\mu_r$  = Relative permeability, dimensionless ( $\mu_0 = 1$  for air)

$\mu_0 = 1.26 \times 10^{-6}$  T-m/At permeability of free space

$A$  = Area of coil in square meters =  $\pi r^2$

$l$  = Average length of coil in meters

exercise



Use equation for inductance of the coils

$$L = \frac{N^2 \mu A}{l}$$

Find the inductance of the air-core coil

$$\mu = \mu_r \mu_0 = (1)(\mu_0) = \mu_0$$

$$A = \frac{\pi d^2}{4} = \frac{(\pi)(4 \times 10^{-3} \text{ m})^2}{4} = 12.57 \times 10^{-6} \text{ m}^2$$

$$L_o = \frac{N^2 \mu_0 A}{l} = \frac{(100 \text{ t})^2 (4\pi \times 10^{-7} \text{ Wb/A}\cdot\text{m})(12.57 \times 10^{-6} \text{ m}^2)}{0.1 \text{ m}}$$

$$L = 1.58 \mu\text{H}$$

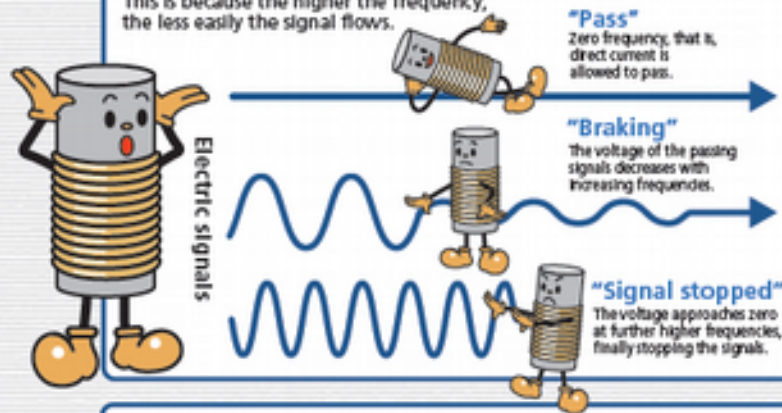
# Inductor Cont.....

## Function of inductors

Inductors can be roughly divided into two types according to their function. One is to control signals, and the other is to store electrical energy.

### Coils can control signals.....

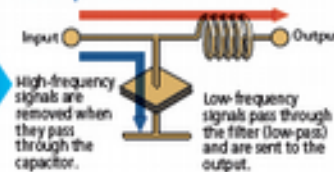
Function of coils depends on signal frequencies. This is because the higher the frequency, the less easily the signal flows.



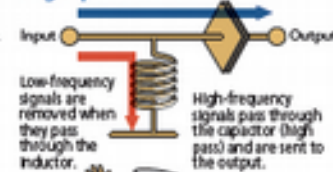
Noise is eliminated, or only the desired signals are allowed to pass.

Inductors can be used in combination with capacitors, which complement the function of inductors, to form LC filters that can separate the required signals from unwanted ones.

### Low-pass filter



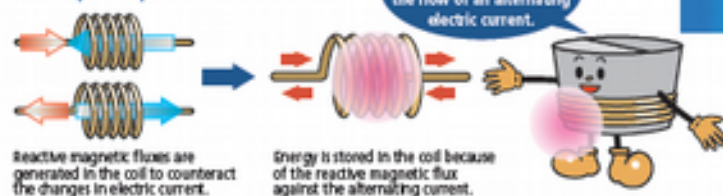
### High-pass filter



### Coils can store energy.....

Coils can store electrical energy in a form of magnetic energy using the property that an electric current flowing through a coil produces a magnetic field, which in turn produces an electric current. In other words, coils offer a means of storing energy on the basis of inductivity (reactive magnetic flux).

### Basic principle of choke-coils

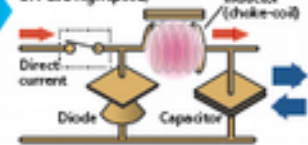


### Voltage is stabilized.

Voltage regulating converters are stabilized when used in combination with inductors that can store magnetic energy, capacitors that can store electric energy, and a switch.

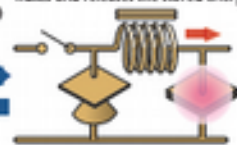
### DC-DC converter (voltage step-down type)

Semiconductor switching (current is turned ON and OFF at a high speed)



<"Turned-ON" state> An electric current flows in the circuit, and energy is stored in the inductor (charging).

As soon as the current is turned off, the inductor produces magnetic fluxes and releases the stored energy.



<"Turned-OFF" state> The energy stored in the capacitor is consumed (discharging), and the capacitor, in turn, stores energy and releases it.

Switching controls cause the output voltage to change (basic principle of DC-DC converters).

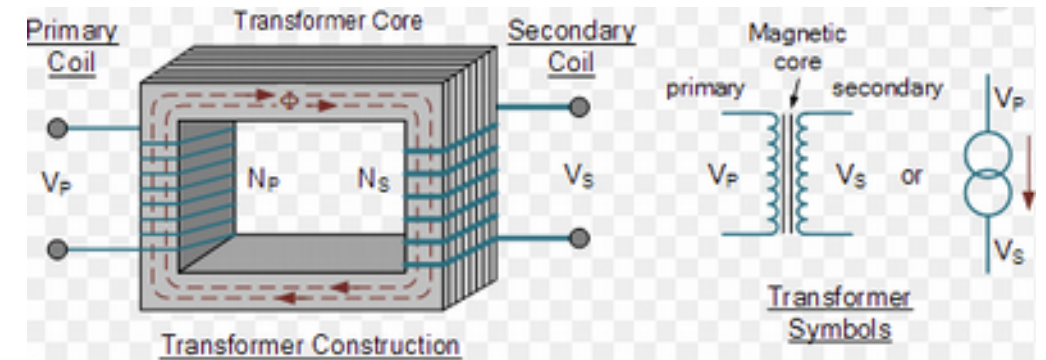
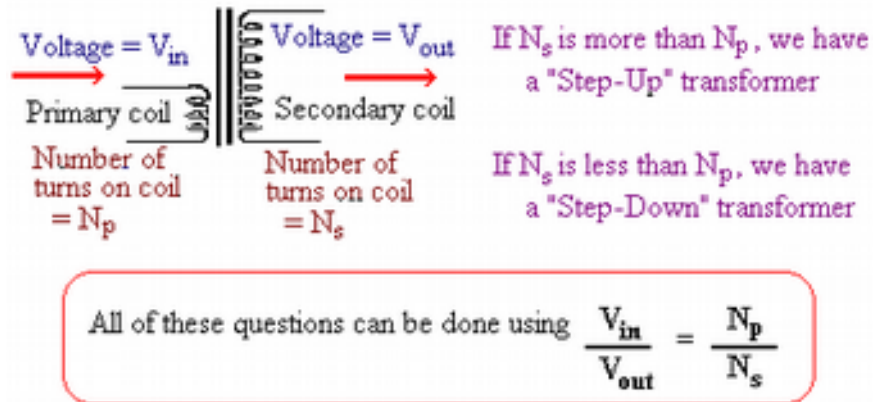
## Comparison of Components

	resistor	capacitor	inductor
symbol	R	C	L
equation	$V_R = I_R R$	$I_C = C \frac{dV_C}{dt}$	$V_L = L \frac{dI_L}{dt}$
icon			
series	$R_T = R_1 + R_2$	$C_T^{-1} = C_1^{-1} + C_2^{-1}$	$L_T = L_1 + L_2$
parallel	$R_T^{-1} = R_1^{-1} + R_2^{-1}$	$C_T = C_1 + C_2$	$L_T^{-1} = L_1^{-1} + L_2^{-1}$
low freq	R	open circuit	short circuit
high freq	R	short circuit	open circuit



# Transformer

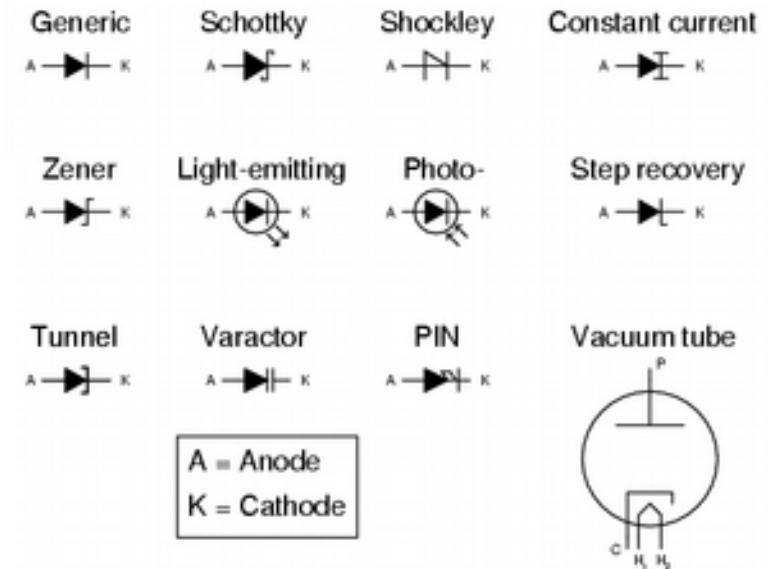
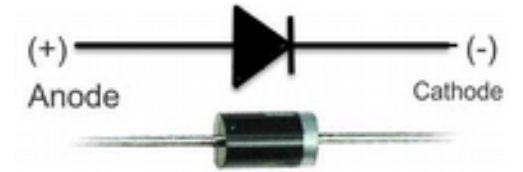
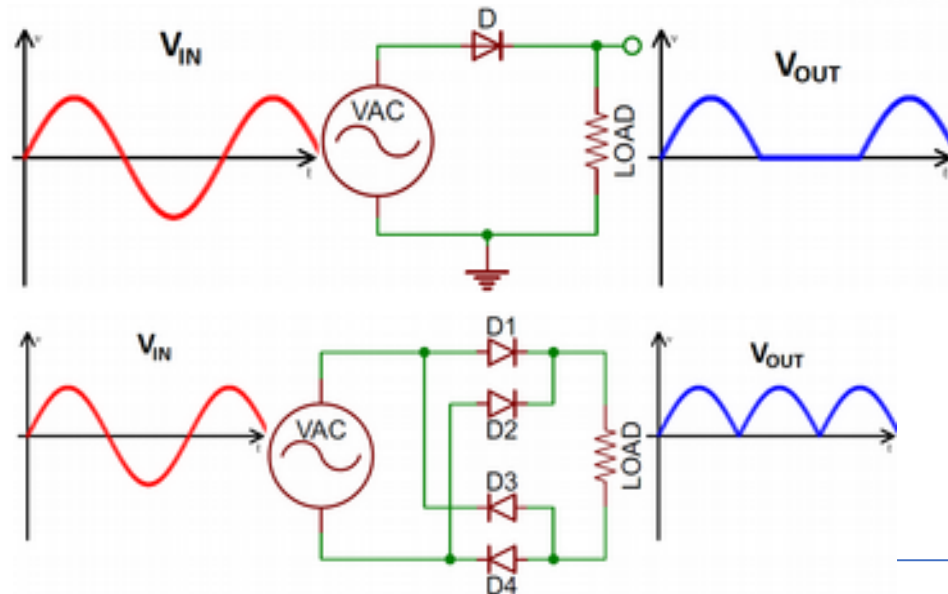
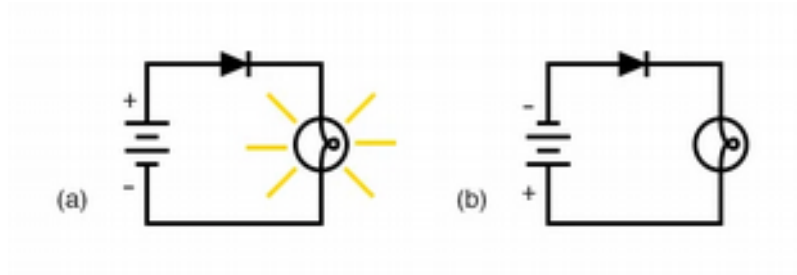
- Transfers electrical energy from one circuit to another through the process of electromagnetic induction.
- It is most commonly used to increase ('step up') or decrease ('step down') voltage levels between circuits





# Diode

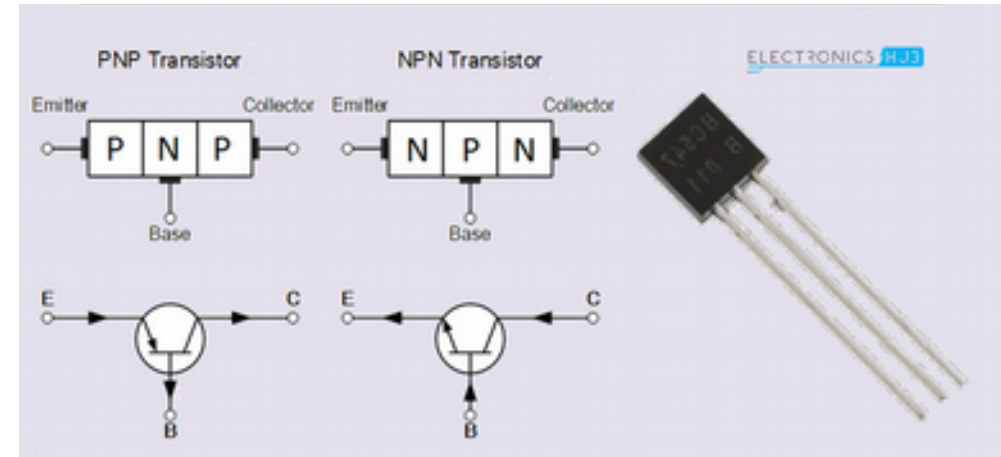
- semiconductor device which conducts in one direction only



# Transistor

- miniature electronic component that can do two different jobs. It can work either as an amplifier or a switch: When it works as an amplifier, it takes in a tiny electric current at one end (an input current) and produces a much bigger electric current (an output current) at the other

Transistors are basically classified into two types; they are Bipolar Junction Transistors (BJT) and Field Effect Transistors (FET). The BJTs are again classified into NPN and PNP transistors. The FET transistors are classified into JFET and MOSFET



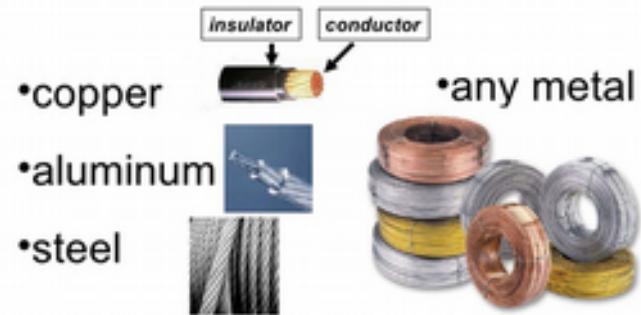
Will be continued



# Conductors and Insulators

## Conductor –

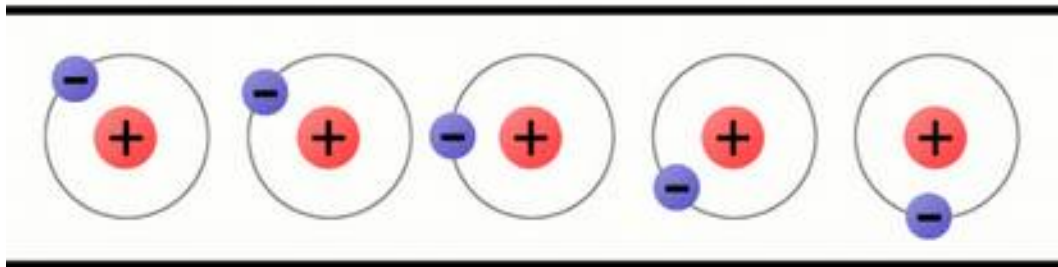
Any material that allows electric current to pass through it



## Insulator –

Any material that does not allow electric current to pass through it

•like the protective coating on wires



# Conductance

Conductance is an expression of the ease with which electric current flows through a substance.

The standard unit of conductance is the siemens (abbreviated S)per meter (S/m), formerly known as the mho

The mho is the reciprocal (also known as inverse) of the ohm.

To calculate the conductance of any circuit or component (including a single resistor), you just divide the resistance of the circuit or component (in ohms) into 1.

Thus, a 100  $\Omega$  resistor has 1/100 mho of conductance

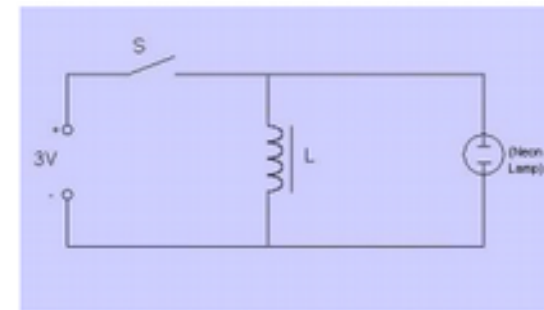
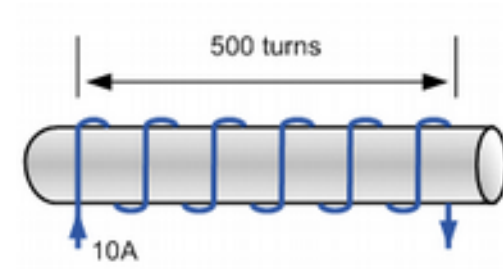


# Inductance

A current generated in a conductor by a changing magnetic field is proportional to the rate of change of the magnetic field. This effect is called INDUCTANCE and is given the symbol L. It is measured in units called the henry (H)

## Self-induction:

Inductors do this by generating a self-induced emf within itself as a result of their changing magnetic field. In an electrical circuit, when the emf is induced in the same circuit in which the current is changing this effect is called Self-induction, ( L ) but it is sometimes commonly called back-emf as its polarity is in the opposite direction to the applied voltage.



$$L = N \frac{\Phi}{I}$$

Where:

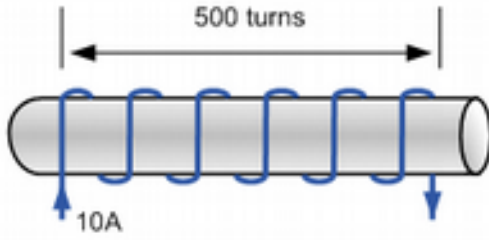
L is in Henries

N is the Number of Turns

$\Phi$  is the Magnetic Flux

I is in Amperes

# Inductance



A hollow air cored inductor coil consists of 500 turns of copper wire which produces a magnetic flux of 10mWb when passing a DC current of 10 amps

$$L = N \frac{\Phi}{I} = 500 \frac{0.01}{10} = 500\text{mH}$$

the value of the self-induced emf produced in the same coil after a time of 10mS

$$\text{emf} = L \frac{di}{dt} = 0.5 \frac{10}{0.01} = 500\text{V}$$

# Inductance

## Mutual Induction:

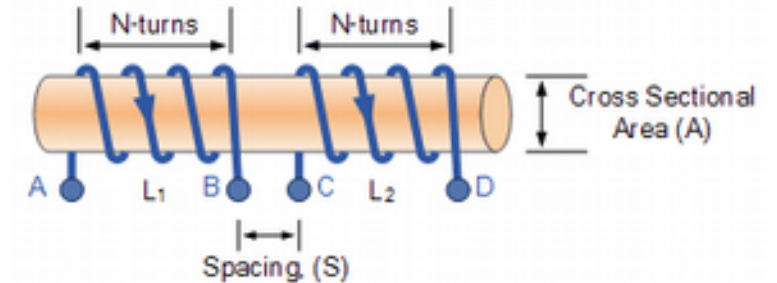
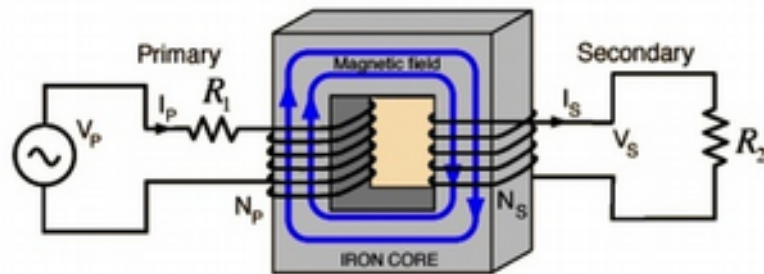
When the emf is induced into an adjacent coil situated within the same magnetic field, the emf is said to be induced magnetically, inductively or by Mutual induction, symbol (  $M$  ). Then when two or more coils are magnetically linked together by a common magnetic flux they are said to have the property of Mutual Inductance

The **mutual inductance** term in the primary circuit represents the load of the secondary. It has the negative sign because it helps the source to produce more current in response to increasing load in the secondary circuit.

$$V_P = I_P R_1 + \frac{L_1 \Delta I_P}{\Delta t} - M \frac{\Delta I_S}{\Delta t}$$

The **mutual inductance** term in the secondary represents the coupling from the primary and acts as the voltage source that drives the secondary circuit.

$$M \frac{\Delta I_P}{\Delta t} = I_S R_2 + \frac{L_2 \Delta I_S}{\Delta t}$$



$$M = \frac{\mu_0 \mu_r N_1 N_2 A}{\ell}$$

Where:

$\mu_0$  is the permeability of free space ( $4\pi \cdot 10^{-7}$ )

$\mu_r$  is the relative permeability of the soft iron core

$N$  is in the number of coil turns

$A$  is in the cross-sectional area in  $m^2$

$\ell$  is the coils length in meters



# Magnetism

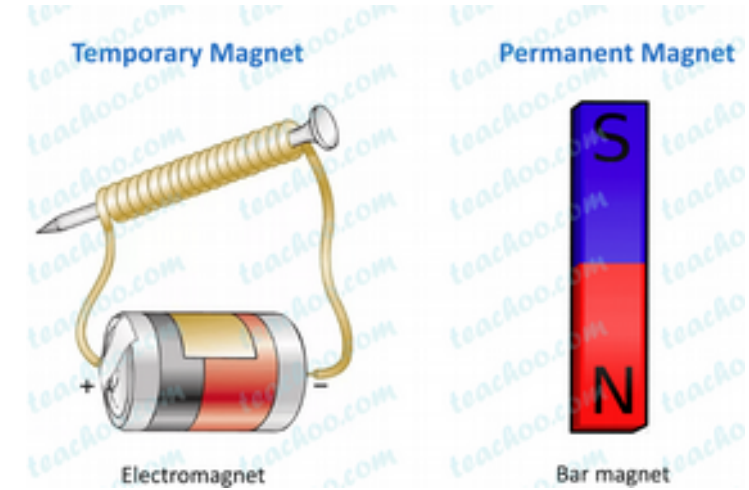
property of certain substances which pull closer or repel other objects

## Permanent magnet:

It is a ferromagnetic material that possesses permanent magnetic properties, even when it is not located within a magnetic field. One end of the magnet is called the north pole, the other the south pole

## Electromagnet:

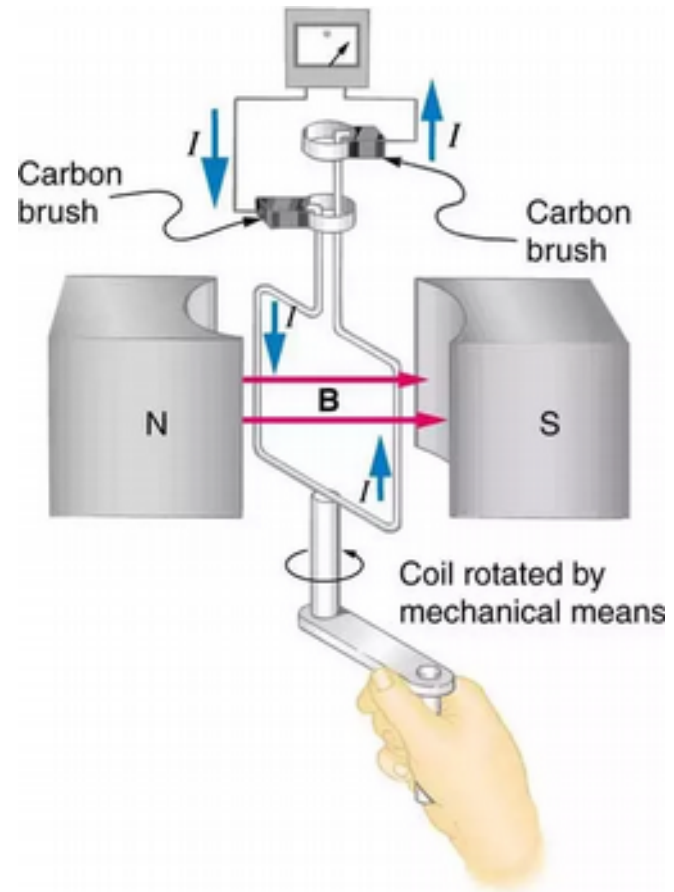
It is a type of magnet in which the magnetic field is produced by an electric current. Electromagnets usually consist of wire wound into a coil. A current through the wire creates a magnetic field which is concentrated in the hole, denoting the centre of the coil.



Electromagnet	Bar Magnet or Permanent Magnet
It is a temporary magnet	It is a permanent magnet
They are usually made of soft materials	They are usually made of hard materials
It can produce very strong magnetic force	It produces comparatively weak magnetic force
It's magnetic strength can be changed	It's magnetic strength can not be changed
It's polarity can be changed.	It's polarity can not be changed.
Example - Solenoid - A wire wound across a nail connected to a battery	Example - Bar Magnet



# Magnetism



# Units of electrical elements

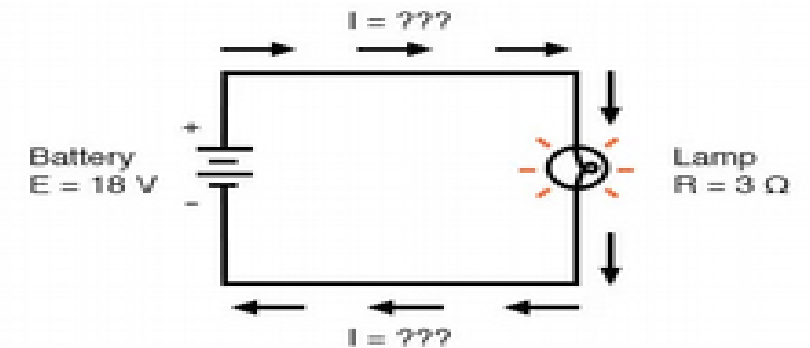
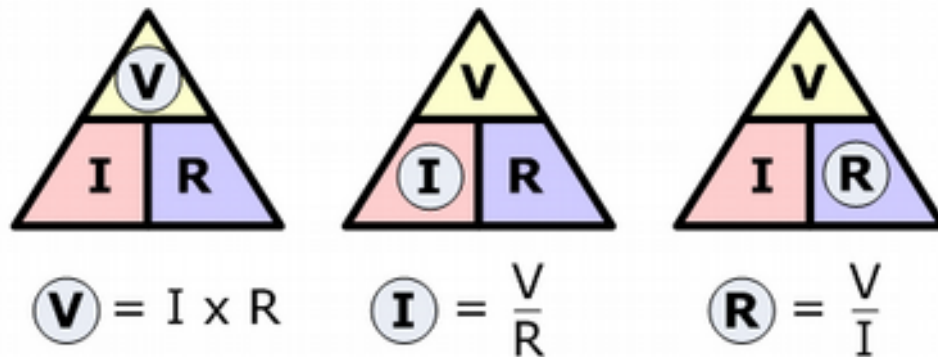
## SI DERIVED BASIC ELECTRICAL UNITS

power, radiant flux	watt	W	J/s
electric charge, quantity of electricity	coulomb	C	-
electric potential difference, electromotive force	volt	V	W/A
capacitance	farad	F	C/V
electric resistance	ohm	$\Omega$	V/A
electric conductance	siemens	S	A/V
magnetic flux	weber	Wb	V·s
magnetic flux density	tesla	T	Wb/m <sup>2</sup>
inductance	henry	H	Wb/A



# Ohm's law

Ohm's law states that the electrical current (I) flowing in an circuit is proportional to the voltage (V) and inversely proportional to the resistance (R). Therefore, if the voltage is increased, the current will increase provided the resistance of the circuit does not change.



When  $E = 18V$  ; then current  $I = 6A$

When  $E = 9V$ ; then current  $I = 3A$

# Kirchhoff's circuit laws

First law / Nodal rule: -for current

For any node (junction) in an electrical circuit, the sum of currents flowing into that node is equal to the sum of currents flowing out of that node.

$$\frac{1}{R_{(AC)}} = \frac{1}{R_1} + \frac{1}{R_2} = \frac{1}{2.4} + \frac{1}{1.7}$$

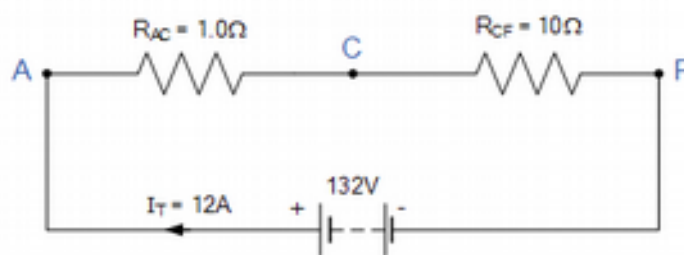
$$\frac{1}{R_{(AC)}} = \frac{1}{1} \quad \therefore R_{(AC)} = 1\Omega$$

$$\frac{1}{R_{(CF)}} = \frac{1}{R_3} + \frac{1}{R_4} + \frac{1}{R_5} = \frac{1}{60} + \frac{1}{20} + \frac{1}{30}$$

$$\frac{1}{R_{(CF)}} = \frac{1}{10} \quad \therefore R_{(CF)} = 10\Omega$$

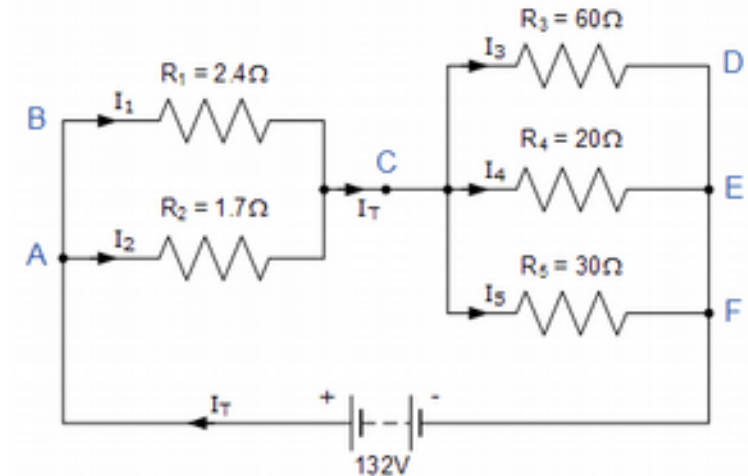
$$R_T = R_{(AC)} + R_{(CF)} = 1 + 10 = 11\Omega$$

$$I_T = \frac{V}{R_T} = \frac{132}{11} = 12 \text{ Amps}$$



$$V_{AC} = I_T \times R_{AC} = 12 \times 1 = 12 \text{ Volts}$$

$$V_{CF} = I_T \times R_{CF} = 12 \times 10 = 120 \text{ Volts}$$



$$I_1 = \frac{V_{AC}}{R_1} = \frac{12}{2.4} = 5 \text{ Amps}$$

$$I_2 = \frac{V_{AC}}{R_2} = \frac{12}{1.7} = 7 \text{ Amps}$$

$$I_3 = \frac{V_{CF}}{R_3} = \frac{120}{60} = 2 \text{ Amps}$$

$$I_4 = \frac{V_{CF}}{R_4} = \frac{120}{20} = 6 \text{ Amps}$$

$$I_5 = \frac{V_{CF}}{R_5} = \frac{120}{30} = 4 \text{ Amps}$$

At node C

$$I_1 + I_2 = I_3 + I_4 + I_5$$



# Kirchhoff's circuit laws

Second law / Mesh rule: -for voltage

The directed sum of the potential differences (voltages) around any closed loop is zero.

$$R_T = R_1 + R_2 + R_3 = 10\Omega + 20\Omega + 30\Omega = 60\Omega$$

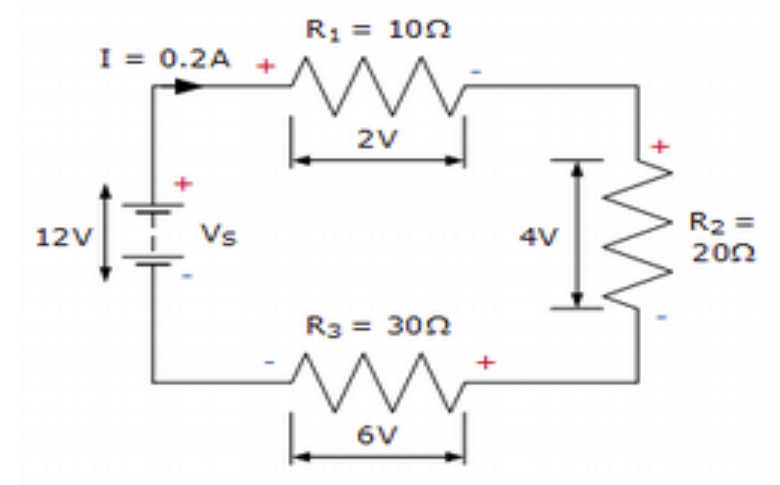
$$I = \frac{V_S}{R_T} = \frac{12}{60} = 0.2A$$

$$V_{R1} = I \times R_1 = 0.2 \times 10 = 2 \text{ volts}$$

$$V_{R2} = I \times R_2 = 0.2 \times 20 = 4 \text{ volts}$$

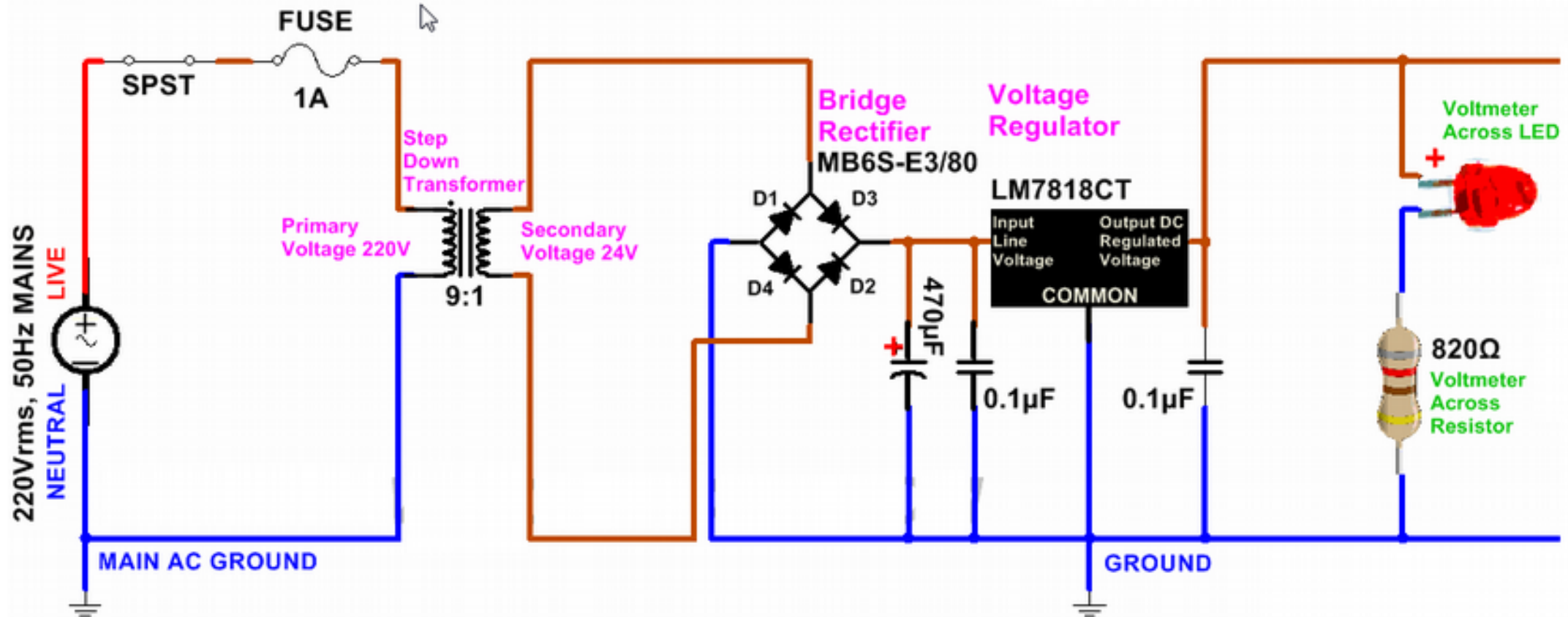
$$V_{R3} = I \times R_3 = 0.2 \times 30 = 6 \text{ volts}$$

$$V_S - V_{R1} - V_{R2} - V_{R3} = 12 - 2 - 4 - 6 = 0$$



# Simple Circuit

## 220VAC, 50Hz to 18VDC Power Supply



**Thank You**

